

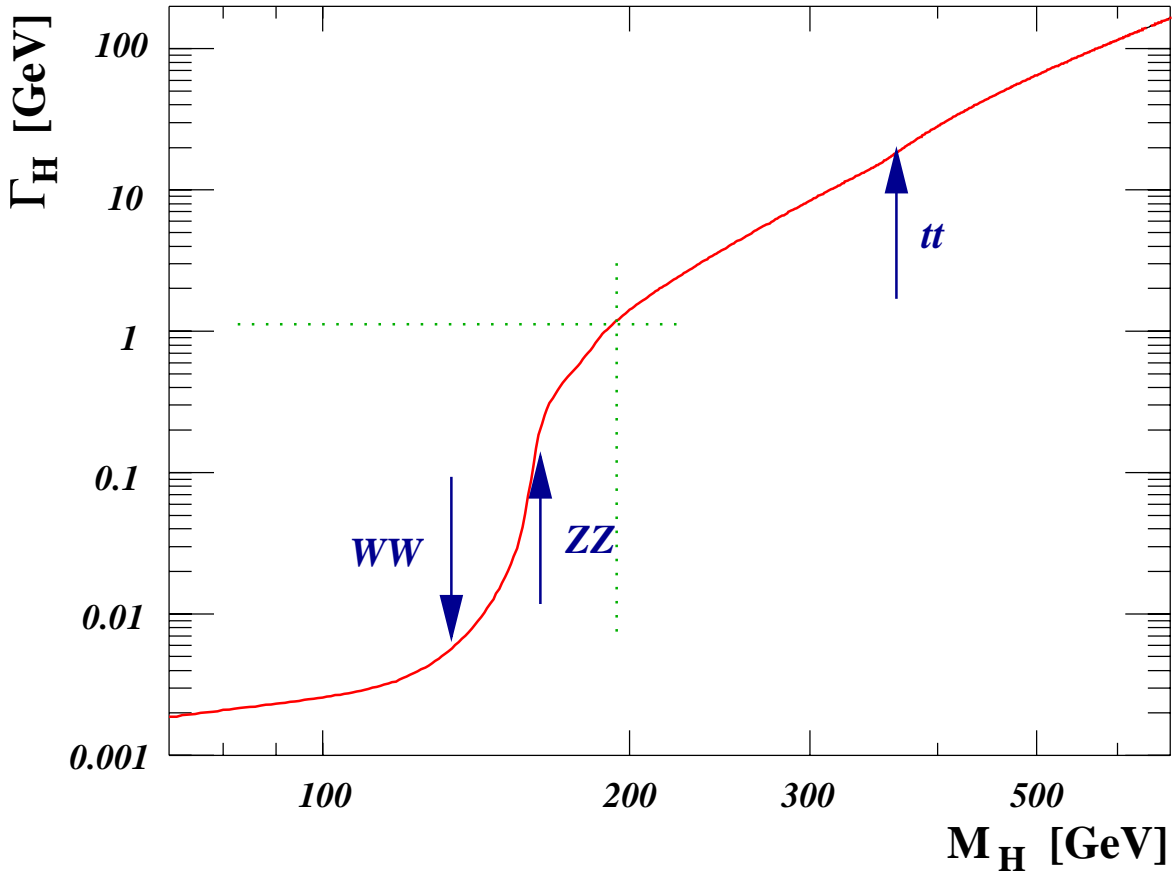
The Higgs Boson Width Through WW-Fusion at TESLA -Update-

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- Introduction
- How to determine Γ_H^{tot}
- Selection for $\sigma(WW\text{-fusion})$
- Results

Introduction



Width of SM Higgs boson

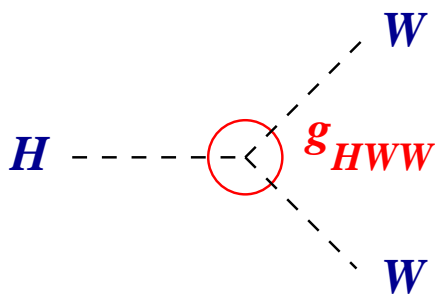
Below $\Gamma_H^{tot} = 1 \text{ GeV} / m_H \approx 200 \text{ GeV}$

indirect method needed

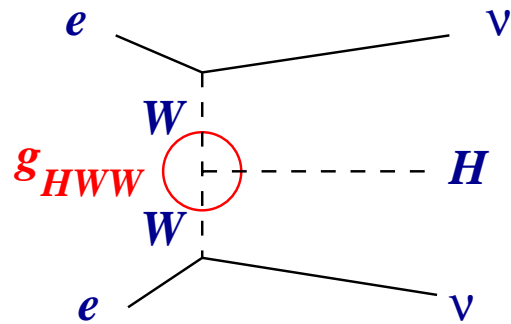
- Which method ?
- Which accuracy ?

Method

$$\Gamma_H^{tot} = \frac{\Gamma(H \rightarrow WW)}{\text{BR}(H \rightarrow WW)}$$



Decay $H \rightarrow WW$



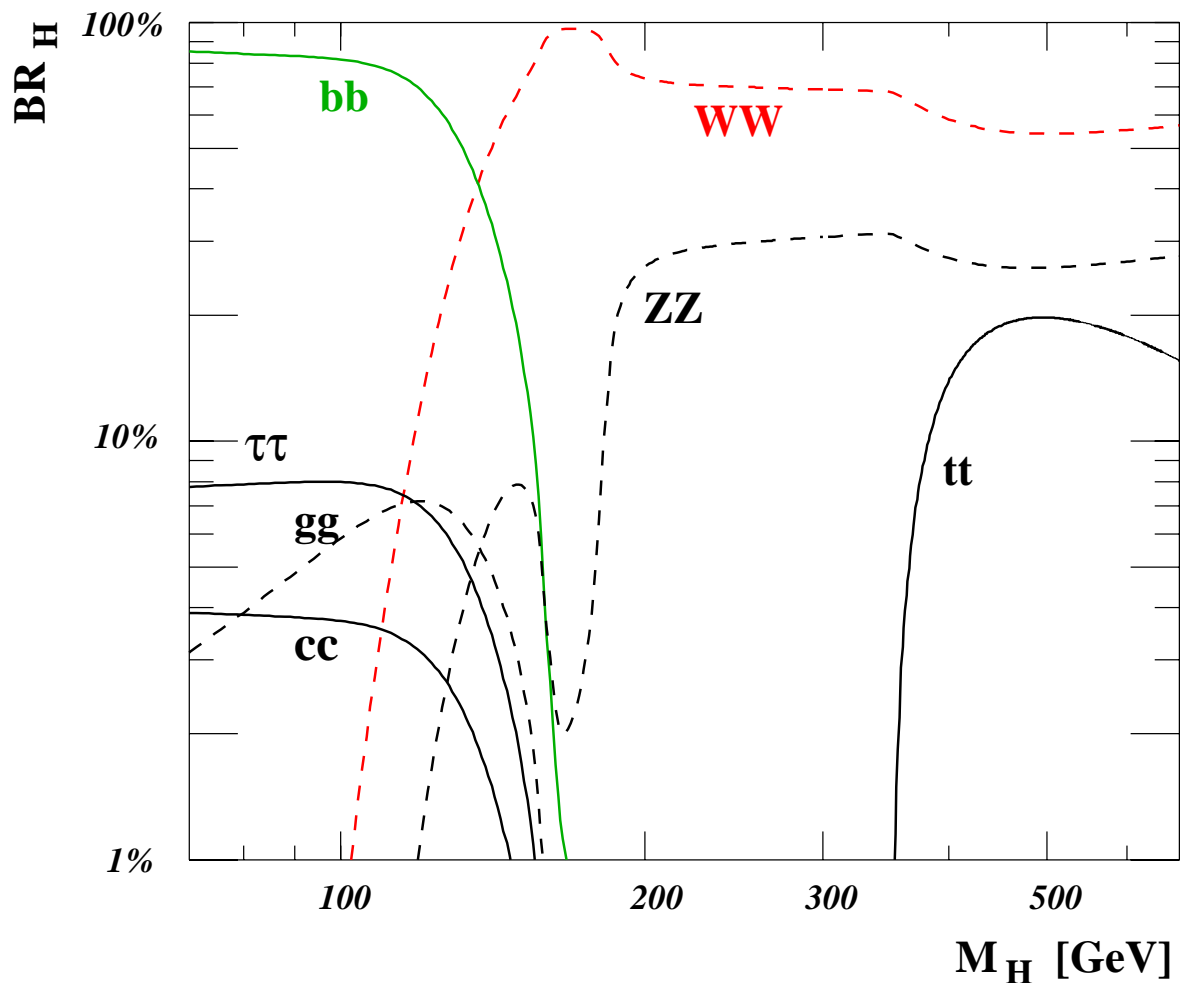
WW-Fusion

Everything known except g_{HWW}

$$\Gamma(H \rightarrow WW) \propto g_{HWW}^2 \propto \sigma(WW\text{-fusion})$$

$$\Gamma_H^{tot} \propto \frac{\sigma(WW\text{-fusion})}{\text{BR}(h \rightarrow WW)}$$

Determining $\sigma(WW - \text{fusion})$



Low mass range $m_H = 120..150$ GeV:

$H \rightarrow b\bar{b}$ dominant

$$\sigma(WW - \text{fusion}) = \frac{\sigma_{fus}(H \rightarrow b\bar{b})}{\text{BR}(H \rightarrow b\bar{b})}$$

Technicalities

$$\sqrt{s} = 350,500 \text{ GeV}$$

$$\mathcal{L} = 500 \text{ fb}^{-1}$$

Complete $bb\nu\nu$ final state taken into account
(WHiZard by W. Kilian)

Dominant 4 fermion processes (2+ quarks) generated
by PYTHIA 6.1

Higgs-BR as in HDECAY (by M. Spira)

Parameterized b-tag including jet-energy dependence
by R. Hawkings

WHiZard by W. Kilian

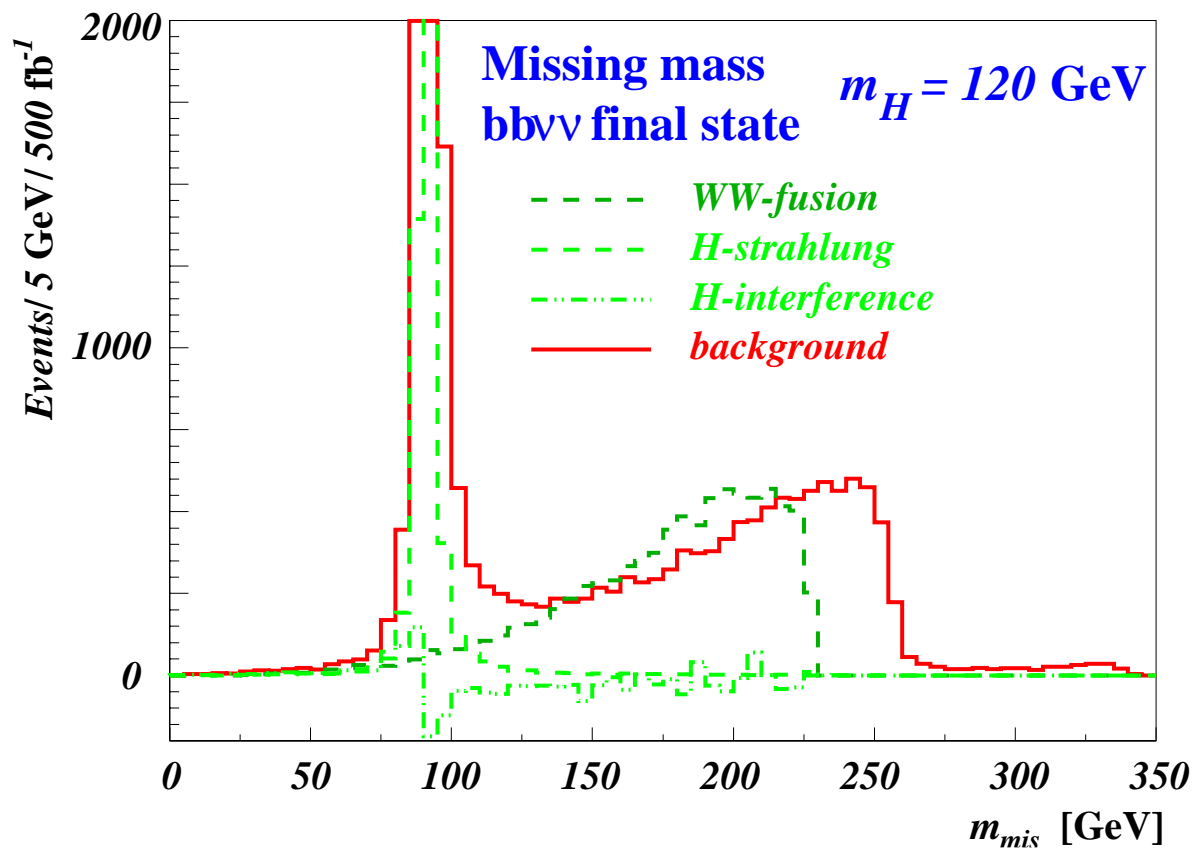
W, Higgs, Z and respective decays

By Wolfgang Kilian, University of Karlsruhe

**Integrates matrix elements from CompHEP or
MADGRAPH**

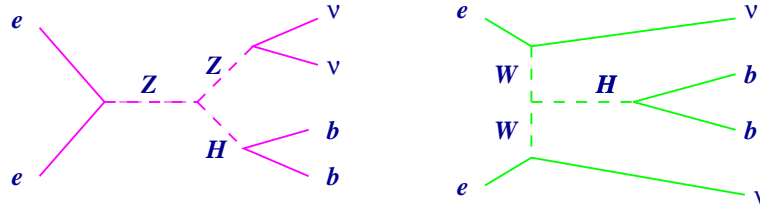
Includes interference, ISR and QCD-corrections

Returns fermion-four-vectors

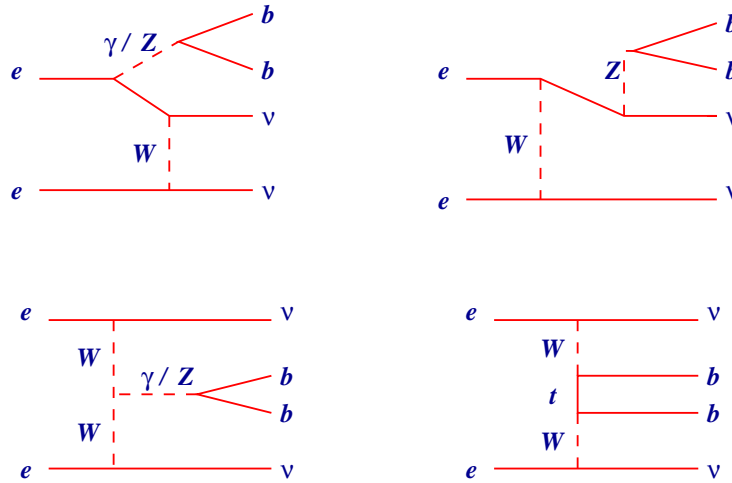


Processes WHiZard

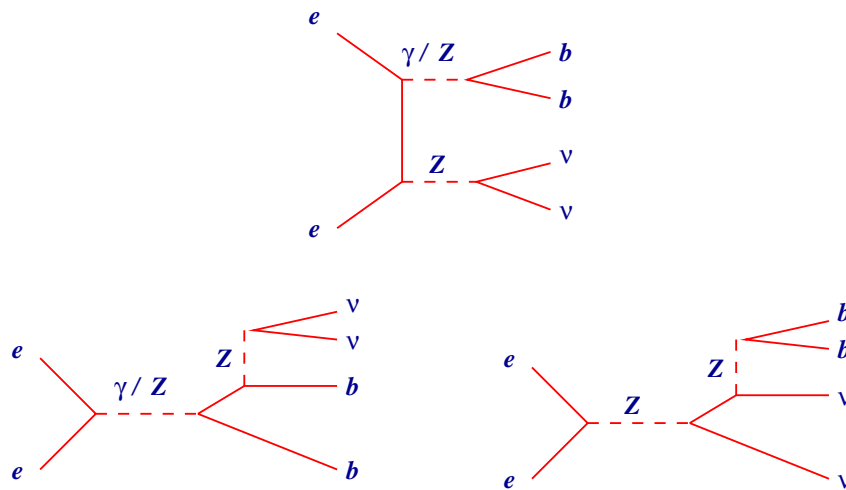
Higgs



$V = V_e$



$V = V_x$



Background PYTHIA

$$WW \rightarrow qq\ell\nu \quad q = u, d, s, c, b$$

$$WW \rightarrow qqqq \quad q = u, d, s, c, b$$

$$W e \nu \rightarrow qq e \nu \quad q = u, d, s, c, b$$

$$ZZ \rightarrow qq\nu\nu \quad q = u, d, s, c$$

$$ZZ \rightarrow qqqq \quad q = u, d, s, c, b$$

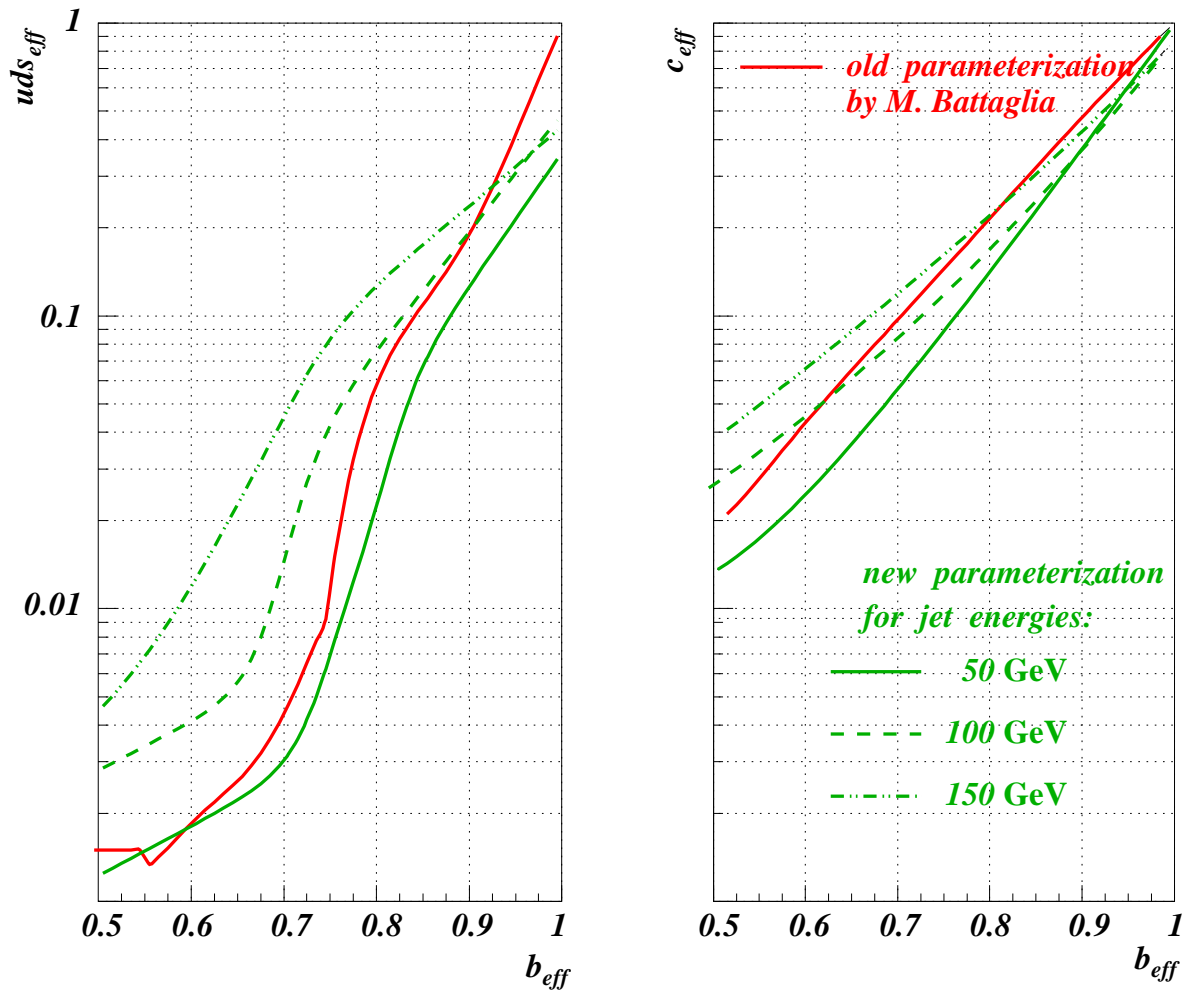
$$ZZ \rightarrow qq\ell^+\ell^- \quad q = u, d, s, c, b$$

$$Z e e \rightarrow qq e e \quad q = u, d, s, c, b$$

$$e^+e^- \rightarrow qq \quad q = u, d, s, c, b, t$$

New b-tag Parameterization

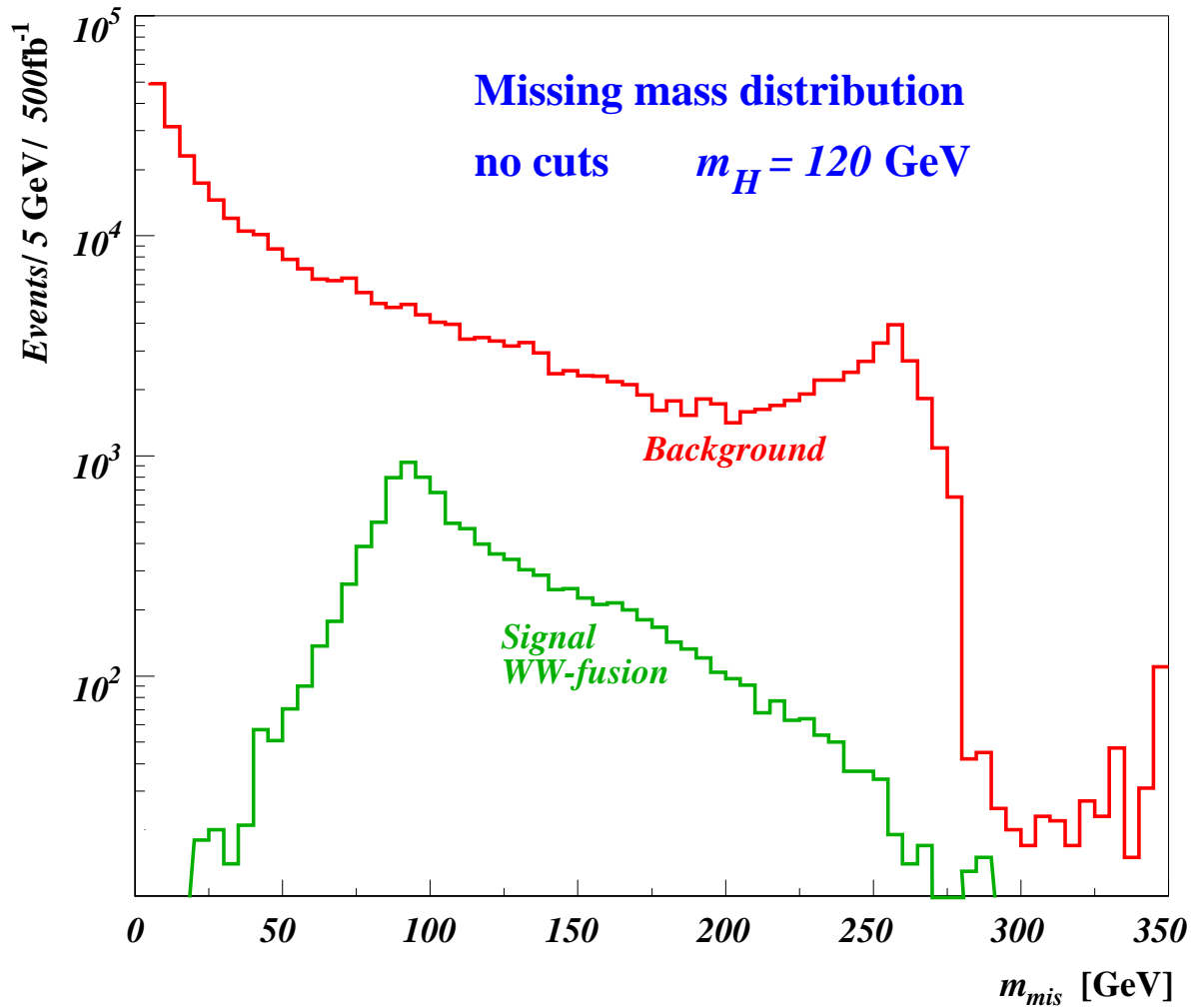
By Richard Hawkins, CERN



Parameterizes efficiencies as
function of jet-energies
and b -tag effi

Selection

Cut based missing mass selection



	$N(\text{bgrd})$	$N(WW\text{-fusion})$
no cuts	3.7×10^5	11350
cuts	757	2940

~ 26 % efficiency

χ^2 Fit

χ^2 -Fit on missing mass distribution

Normalized MC as reference

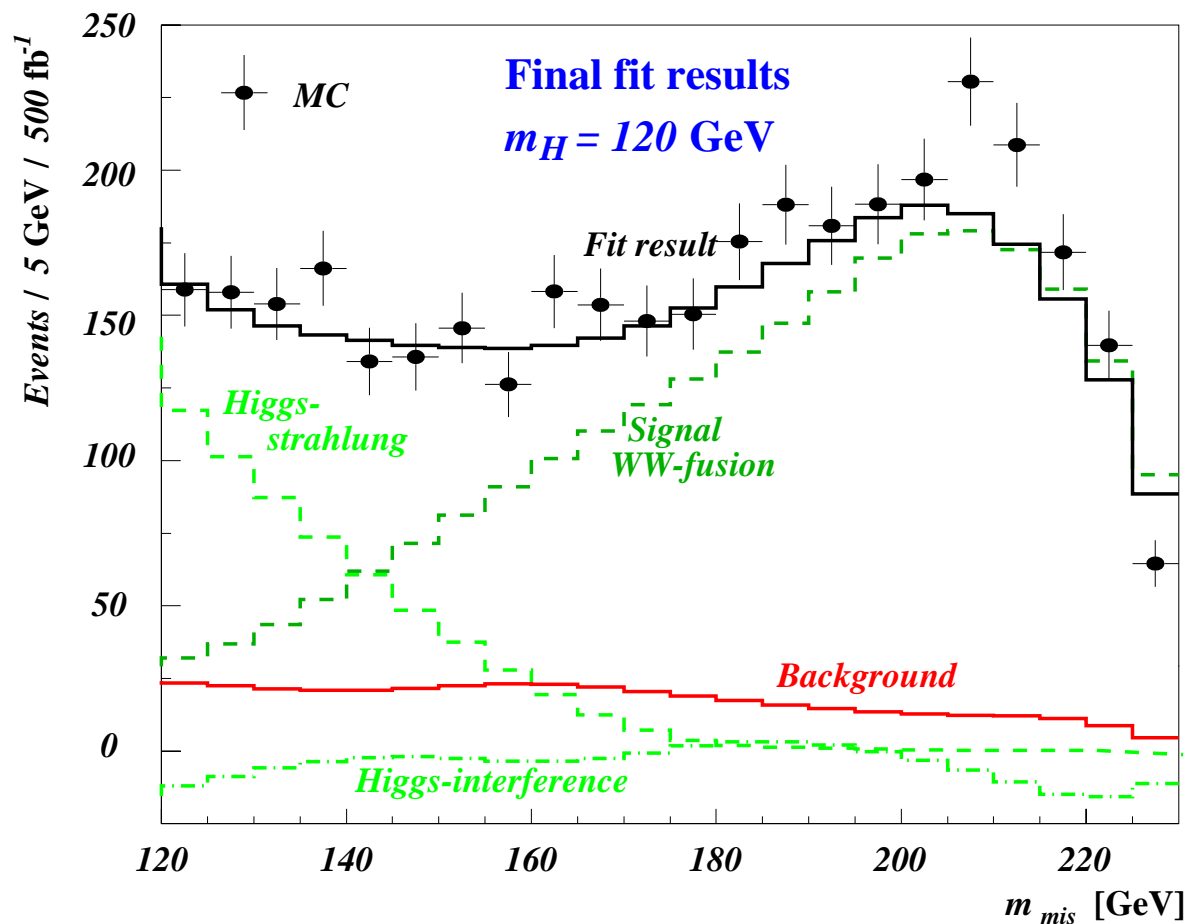
Fit-parameters :

$N(WW\text{-fusion})$, $N(\text{bkgrd})$

Fixed :

$N(H\text{-strahlung})$ (known)

$N(\text{interf.})$ (small)



Results

m_H	ΔBR ($H \rightarrow b\bar{b}$)	ΔBR ($H \rightarrow WW$)	$\Delta\sigma_{fus}$ 350 / 500 GeV	$\Delta\Gamma_H^{tot}$ 350 / 500 GeV
120	2,5 %	5,4 %	2,6 / 1,9 %	6,5 / 6,2 %
130	2,8 %	3,3* %	3,5 / 2,2 %	5,5 / 4,9 %
140	3,1 %	2,5 %	4,9 / 3,2 %	6,3 / 5,1 %
150	7* %	3,1* %	8,4 / 5,2 %	11,1 / 9 %
160	12 %	3,1 %	imp. / 12,1 %	imp. / 17,4 %

*) extrapolated

Conclusions

5 – 6 % accuracy on Γ_H^{tot} with
 $\mathcal{L} = 500 \text{ fb}^{-1}$ and $m_H \leq 150 \text{ GeV}$

\Rightarrow Method superior to $\gamma\gamma$ -option
(Similar method at compton collider)
 $\Delta\Gamma_H^{tot} \sim 14 \%$ with equivalent lumi

For $m_H > 160 \text{ GeV}$ selection of $H \rightarrow WW$
necessary

Overlaid $\gamma\gamma$ -events can be handled
(cf. talk of M. Battaglia)

Write-up in progress