## Lifetime \& Mixing with D*lv

News:
-Fit Convergence Strategy
-Study of the Analysis Bias

Martino, 6/5/2004

## Fit Convergence Strategy

"Old" Problem:
Difficulty in reaching the convergence using Migrad+Minos.
Sometimes Migrad fails, sometimes Minos does not compute 1 (or both) the asimmetric parameter errors...
Behaviour strongly correlated with parameter starting point.
$\longrightarrow$ Delay in Systematics/ Checks computation (not possible to disentangle between systematic effects/Fit instability)

New Approach:

1) Perform a scan over the $(\tau, \Delta \mathrm{m})$ plane leaving free all the other parameters in order to find a minimum "by-hands" (using the Italian Analysis Farm and the Padova Reprocessing Farm);
2) Use the previous result as a starting point for the "standard fit"

Procedure applied on all the MC "Signal" Fits (see note tables 12, 13); MC total Fit (Signal+Background) under way...

Advantages:

1) Convergence of the fit;
2) Check of the likelihood behaviour in the region around the minimum.

Example:
MC Pure Signal ( $\mathrm{B}^{0}$ Signal + Resonant $\mathrm{B}^{+}$):
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$\begin{aligned} \operatorname{Min}(\log \mathcal{L})=332532.7 \text { at }(\tau, \Delta \mathrm{m})= & (1.5342,0.46425) \\ & (1.5356,0.46425) \\ & (1.5356,0.46500) \\ & (1.5370,0.46425) \\ & (1.5370,0.46500)\end{aligned}$
"Standard Fit" results obtained starting from the two "extreme" points:
$(\tau, \Delta \mathrm{m})=(1.5370,0.46500)$
$\longrightarrow(1.5368 \pm 0.0049 ; 0.4648 \pm 0.0021) \quad \log \mathscr{L}=332532.66$
$(\tau, \Delta \mathrm{m})=(1.5342,0.46425)$
$\longrightarrow(1.5342 \pm 0.0039 ; 0.4642 \pm 0.0024) \quad \log \mathscr{L}=332532.71$

To be chosen according to $\log \mathcal{L}$ value (... and maybe assuming a fit systematic according to $\delta \Delta \mathrm{m}, \delta \tau$ )
Fit Statistical Errors in agreement with $\log \mathscr{L}$ behaviour around the minimum
$\tau=1.5368 \pm 0.0049 \mathrm{ps}$
$\operatorname{Min}(\log \mathcal{L})+0.5$


$$
\Delta \mathrm{m}=0.4648 \pm 0.0021 \mathrm{ps}^{-1}
$$

$\operatorname{Min}(\log \mathcal{L})+0.5$

## Study of the Analysis Bias

"Old" Problem:
From the fit to the MC Pure Signal we observe a bias (BAD 287, v11):
$\delta \Delta \mathrm{m}=-0.006 \pm 0.001 \mathrm{ps}-1$
$\longrightarrow$ The mixed event fraction is underestimated:

$$
\delta \chi_{\mathrm{d}}=-0.003 \pm 0.001
$$

## But...

...The fraction of MC truly mixed events when just a single $\pi^{*}$ l pair/event is reconstructed is correct!

$$
\left.\chi_{\mathrm{d}}=0.1744 \pm 0.0005 \text { (w.r.t. } 0.174 \mathrm{MC} \text { truth }\right)
$$

$\longrightarrow$ Bias induced by the events with more than one $\pi *$ l pair...
...Why?
In the case of mixed events with two $\mathrm{D}^{*}$ from different Bs, a second $\pi^{*} 1$ "true" pair can be reconstructed with the Right Charge Correlation.
If the $2^{\text {nd }}$ pair is chosen by the selection algorithm, the event can fall in the Side Band region or it can be classified as "Combinatorial Background"
$\longrightarrow$ Reduction of the measured mixed event fraction.

$\bullet$ Number of $\pi^{*} 1$ candidates / event (Signal MC)

Right Charge Correlation

R.C + Wrong Charge Correlation
0410510419.06

-R. C. Mixed event sample shows higher fraction of multiple candidates -Fraction of Mixed Events:

Strong $\chi_{d}$ dependence vs number of reconstructed candidates



## Mixed Event Fraction $\chi_{d}$ vs Event Tag

## Event Tag:

1: just one $\pi^{*} 1$ candidate;
2: one additional $\pi * 1$ candidate ( $\pi *$ not from $\mathrm{D}^{*}$ );
3: one additional $\pi^{*} 1$ candidate ( $\pi^{*}$ from $\mathrm{D}^{*}$ );
4: two or more $\pi^{*} 1$ candidates (at least one from $\mathrm{D}^{*}$ )

Right Charge Correlation

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R.C + Wrong Charge Correlation

## How to manage this effect on the data? Three possible strategies:

1) Use only the event sample with just one $\pi^{*} 1$ candidate, ( $\varepsilon \sim 80 \%$ for R.C+W.C);
2) Determine the fraction of events with more then one D* in Data and MC, tune the simulation and compute the expected bias;
3) Use two separate analysis streams for the two subsamples:
-single candidate;
-two candidates from D* from different Bs :
"golden events" with two $\mathrm{B} \rightarrow \mathrm{D}^{*} 1 v$ and lowest dilution
... Approach to be chosen...

Strategy n. 2:
Determination of the Fraction of Events with more then one D* (Data vs MC)

1) Compute the ratio
$\mathrm{R}=\mathrm{N}\left(\mathrm{D}^{*} \rightarrow(\mathrm{~K} \pi) \pi *\right)_{\text {Side Band, Wrong Charge }} / \mathrm{N}\left(\mathrm{D}^{*} \rightarrow(\mathrm{~K} \pi) \pi *\right)_{\text {Mass Band, Right Charge }}$ independent from efficiency/ mixing effects
2) Rescale the MC to the DATA result
3) Compute the expected bias.
$\mathbf{D}^{*} \longrightarrow(\mathbf{K} \pi) \pi *$


Work going on...(Franco)
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## Still missing items:

- Use Gexp model for cascade decays
- Alignment, boost, beam spot (Michele at work)
- Different cut in the likelihood-identification variable
-Toy (Marcello already started)
- Bad 287 updated in $\sim 1$ week

